

Energy NOTES

Energy is a physical quantity that describes the *ability to make things move*.

- The unit of energy is the *joule (J)*, pronounced “jewel”.
- Energy is a **SCALAR** quantity, **NOT A VECTOR**, it may have positive or negative values, but it has no direction.

Kinetic Energy

- A moving object has kinetic energy; the **kinetic energy** of an object is described by the equation

$$KE = \frac{1}{2} mv^2$$

- m = mass of an object
- v = velocity or speed.

As an example, suppose a 5 kg mass attains a speed of 10 m/s, the amount of kinetic energy (KE) it has is

$$KE = \frac{1}{2} (5)(10^2) = 250 \text{ Joules.}$$



Gravitational potential energy

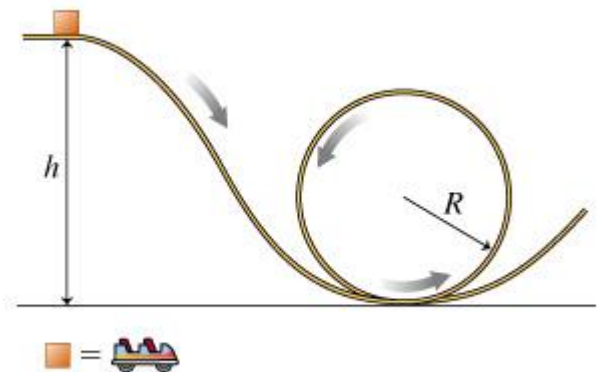
Gravitational potential energy is the energy *stored* in an object has *when it is in a position to fall*. Gravitational potential energy is gained or lost when an object is lifted or lowered in reference to a surface. The surface or “ground” is called the **reference level**. The formula which describes the amount of gravitational potential energy (PE) an object gains is

$$PE = mgh$$

- m = mass
- g = the acceleration due to gravity (9.8 m/s^2)
- h = the **height** the mass is **above** a reference level.

Gravitational Potential energy may be positive or negative.

Example: suppose a 5 kg mass is lifted 10 meters above the floor, it would gain a potential energy (PE) of $(5)(9.8)(10) = 490$ Joules.



The Law of Conservation of Energy.

This principle states that for an object (*or system of objects*) in a closed system **the total amount of energy of the object/s should remain constant**. *Energy cannot be created or destroyed it can only be transferred.*

In other words *total energy before = total energy after*

In equation form
$$W + \frac{1}{2} mv_1^2 + mgh_1 = \frac{1}{2} mv_2^2 + mgh_2 + H$$

W – is work or energy **added** to the system (in Joules) - examples?

H – any **energy losses** that occur from 1 to 2 (in Joules) –examples?

Work

In Physics “work” is the **same as energy**.

Work just means “the energy required by a force to move an object a certain distance.

Work is measured in **Joules (J)**

Work is a scalar quantity (no direction)

Positive work means energy added to a system

Negative work means energy taken away from a system.

Work is calculated using the following formula:

$$W = \vec{f} \cdot \vec{d}$$

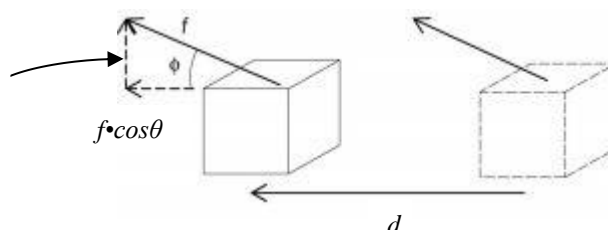
f – force in Newtons (N)

d – displacement in Meters (m)

Important point:

The only portion of a force that can do “work” is the component of force that is causing motion. \vec{f} in the equation above must be the component of force that moves the object in the direction of \vec{d}

Vertical component does not move box forward
only horizontal component is used to calculate work



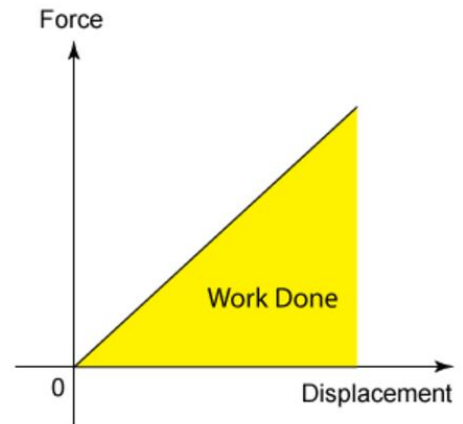
Force vs. Displacement Graphs:

$W = F \times d$ is good if our force is *constant*.

When we have a situation *changing* Force, we have to find a new solution:

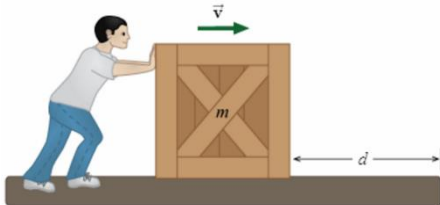
The energy transfer (or work) caused by the *variable* force turns out to be:

The area under a force vs. displacement graph



Example:

Imagine the graph below represent the **force** on a box as it is pushed along a floor. How much **work** was done on the box?



POWER and Efficiency NOTES

- Remember **Work** and **Energy** are the **same** thing!
- They have the same units (joules).
- **Work** just means **Energy** being put into a system to increase its energy.

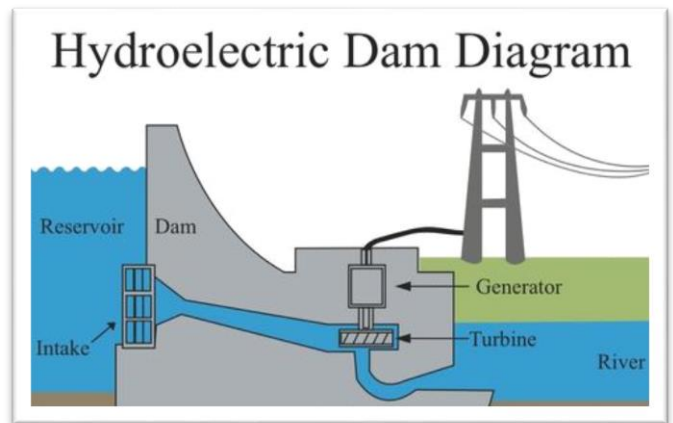
POWER

*Power is **not** the same as energy or work.*

Power is the rate at which work is done.

Or

Power is the rate at which energy is converted from one form to another.



*The units of power are **Watts (W)**. 1 watt is equal to using 1 Joule each second*

$$1 \text{ Watt} = 1 \text{ Joule} / 1 \text{ sec.}$$

$$\text{Power} = \frac{\text{Work Done}}{\text{Time Taken}}$$

Example 1

A cat who weighs 40 Newtons climbs a tree that is 15 meters tall in 10 seconds. Calculate the work done by the cat and the cat's power.

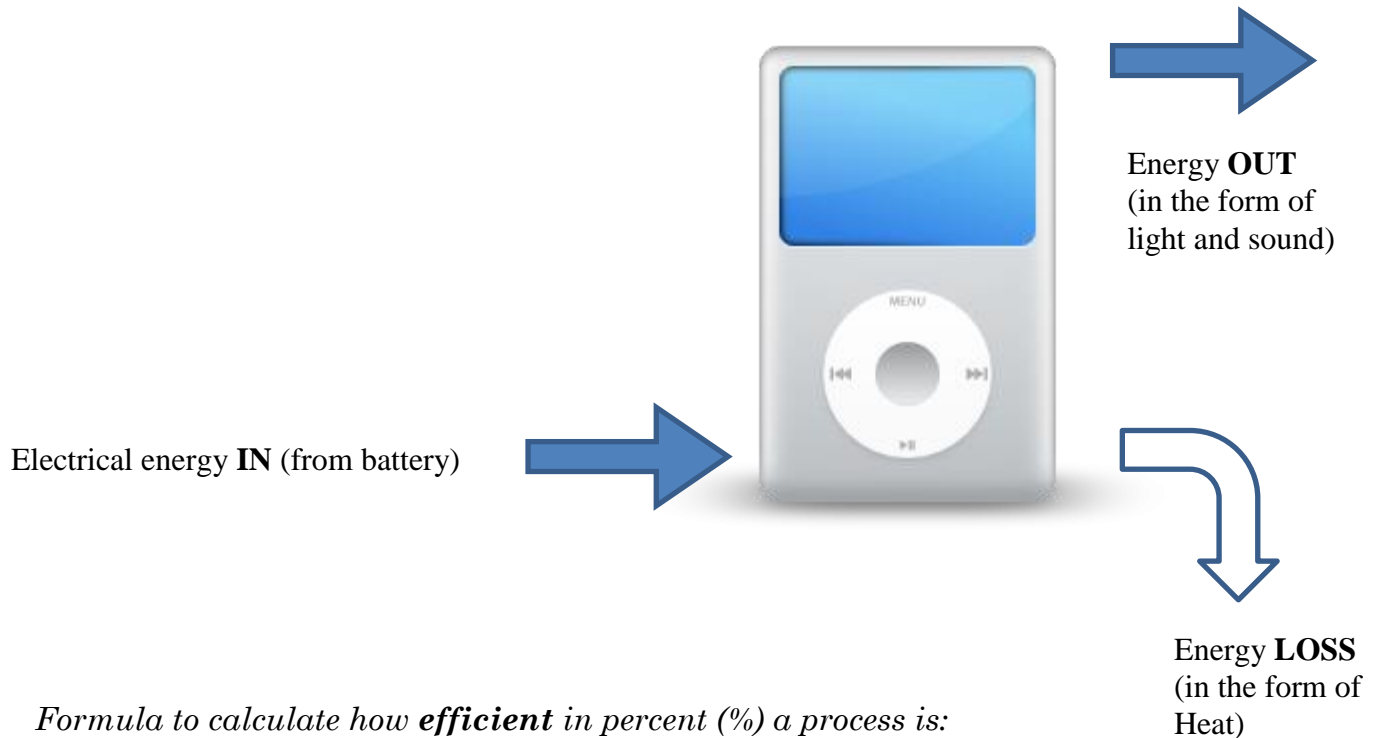
Example 2

A 60 Watt light bulb is used for 30 minutes. Determine the energy it used.

Efficiency

No process is 100% efficient – some energy is always **'lost'** in the process.

Examples of some energy losses for the following situation:



Formula to calculate how **efficient** in percent (%) a process is:

$$\text{Percentage Efficiency} = \frac{\text{Power Out}}{\text{Power In}} \times \frac{100}{1}$$